

## **Student Math Profile Checklist—Special Ed Services**

Does the student show evidence of the following?

YES—attach evidence

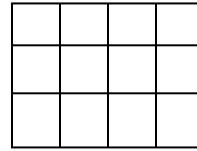
NO—attach evidence and describe techniques used to develop skill set

NT—Not Taught or no evidence of instruction on this skill—attach plan for instruction.

### **Base-ten Concepts, Operations on Numbers and their Meaning and Relationships:**

- \_\_\_ Can count to \_\_\_ 10 \_\_\_ 12 \_\_\_ 20 \_\_\_ 50 \_\_\_ 100 \_\_\_ 1,000 \_\_\_  $\infty$
- \_\_\_ Knows more and less when difference is clear
- \_\_\_ Can use counting/one-to-one correspondence to solve problems (which one is more?--when difference is not clear)
- \_\_\_ Understands and can demonstrate an exchange of 10 ones units for 1 ten unit.
  
- \_\_\_ Can put ones units into a base ten form with manipulatives (13 ones  $\rightarrow$  exchange for 1 ten and model as 1 ten and 3 ones)
- \_\_\_ Can demonstrate that numbers can be put in different but equal forms  
(27  $\rightarrow$  27 ones, or 2 tens and 7 ones, or 1 ten and 17 ones or 13 ones and 14 ones, etc).
- \_\_\_ Can explain standard addition algorithm in terms of equal exchange of  
\_\_\_ ones and tens  
\_\_\_ ones, tens and hundreds
- \_\_\_ Can explain standard subtraction algorithm in terms of equal exchange of  
\_\_\_ ones and tens  
\_\_\_ ones, tens and hundreds
- \_\_\_ Understands and can demonstrate that subtraction is the inverse of addition
  
- \_\_\_ Can consistently derive correct answers within 20 with manipulatives/drawings, fingers, chips, hash marks, etc.
  
- \_\_\_ Can add/subtract ten with tens rods (ex:  $22 + 10 = 32$ )
  
- \_\_\_ Can add/subtract other multiples of ten with ten rods ( $74 - 40 = 34$ )
  
- \_\_\_ Can add/subtract ten in head (ex:  $22 + 10 = 32$ )
- \_\_\_ Can add/subtract other multiples of ten in head ( $74 - 40 = 34$ )
  
- \_\_\_ Can answer addition and subtraction facts within 20 with automaticity
  
- \_\_\_ Facts that are difficult/not automatic:

- \_\_\_\_\_ Understands and can demonstrate that multiplication is repeated addition  
( $3 \times 4 = 3 + 3 + 3 + 3 = 12 \rightarrow 3 \text{ carrots} \times 4 \text{ people means each person gets 3 carrots}$ )
- \_\_\_\_\_ Understands and can demonstrate that multiplication can be shown through area and a rectangle:  
3 linear in.  $\times$  4 linear in. = 12 1x1 squares



- \_\_\_\_\_ Uses patterns to access 1x1-digit multiplication
- \_\_\_\_\_ Uses “facts I know” to access other facts
- \_\_\_\_\_ Understands and can demonstrate that division is repeated subtraction
- \_\_\_\_\_ Understands and can demonstrate that division is the inverse of multiplication
- \_\_\_\_\_ Can solve 2 digit/1 digit division problems using multiplication
- \_\_\_\_\_ Can explain that regrouping in standard multiplication algorithm is regrouping tens
- \_\_\_\_\_ Can show the distributive property and use to multiply 1 x 2 digit numbers (8 x
- \_\_\_\_\_ Can explain that 
$$\begin{array}{r} 45 \\ \times 37 \\ \hline \end{array}$$
 represents  
5 ones  $\times$  7 ones plus 4 tens  $\times$  7 ones plus 7 ones  $\times$  4 tens plus 4 tens  $\times$  3 tens
- \_\_\_\_\_ Other Strategies student uses to derive “Math Facts” with some fluency:
- \_\_\_\_\_ Can answer multiplication and division facts within 100 with automaticity
- \_\_\_\_\_ Facts that are difficult/not automatic:

See SCoS **Number and Operations Strand Obj. 1.01** Grades K-3

Supplemental Program Recommendations to be delivered in a systematic and explicit manner over period of time:

**Number Worlds**—Development of early number concepts

**Strategic Math Series**—Base-ten and Concrete/Representational/Symbolic approach to operations

See also [SpEd Instruction Checklist](#) for further recommendations/information

## Language and Math Translation:

\_\_\_ Ability to translate language into math sentences

\_\_\_ Student recognizes addition problems and can

\_\_\_ Draw or demonstrate problem

\_\_\_ Translate into abstract math sentence.

\_\_\_ Student uses “types of subtraction problems” to think through if a problem is addition or subtraction and to

\_\_\_ Draw or demonstrate problem

\_\_\_ Translate into abstract math sentence.

\_\_\_ Understanding of the concept of Equality on concrete level

\_\_\_ Student can demonstrate the concept of equality with their body as a scale

\_\_\_ Responds to equal quantities with even “scale”

\_\_\_ Responds to unequal quantities by lowering larger quantity

\_\_\_ Understanding of the concept of Equality on symbolic level

\_\_\_ Student can discuss what an equal sign means in a math problem

\_\_\_ Student can explain that any two things that are equal can be put into a math sentence with an equal sign.

\_\_\_ Student can \_\_add \_\_subtract \_\_multiply \_\_divide same amount on both sides of equation WITHOUT variables and discuss what has happened (values have changed but equality has been maintained.)

\_\_\_ Student can \_\_add \_\_subtract \_\_multiply \_\_divide same amount on both sides of equation WITH variables and discuss what has happened (values have changed but equality has been maintained.)

\_\_\_ Student can set up an equality given several values and choosing two (Ex: given the values 10, 12,  $6 + 5$ ,  $5 + 5$ , student can select the two equal terms and write them as an equality.

\_\_\_ Student can set up an equality given several more complicated values and choosing two (Ex: given more complicated values with words: The number of cards in a deck, a dozen, the number of sides in a triangle  $\times 3$ , The number of days in a year – 100), the student can select the two equal values and write them as an equality.

\_\_\_ Ability to translate relational sentences into math sentences

\_\_\_ Student uses strategy of figuring out “which one has more so how do we equalize” when translating problems. (Ex: *There are 5 dogs to every cat in the animal shelter this week.* Set up an equation. Think: There are more dogs so I’ll need to **increase the amount of cats** to make the two amounts equal. I’ll need 5 times more cats.  $D = 5C$ . Check: If there were 8 cats that would mean  $D = 5 \times 8 = 40$  dogs. Yes, that makes sense, because I knew there had to be more dogs to start with (also show the non-example  $5 \times D = C$ : If there were 8 dogs we’d have 40 cats, that doesn’t make sense, because we know that we started out with more dogs.) Review: If there are 8 cats there are 40 dogs. In order to have the same amount of each type of animal, we needed to multiply the cats by 5.






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See SCoS **Algebra Strand**: Grade 2—5.02; Grade 3—5.03, 5.04; Grade 4—5.02; Grade 5—5.02

\* See Richard E. Mayer, “Mathematical Problem Solving” from Mathematical Cognition, Royer; Information Age Publishing

See also SpEd Instruction Checklist for further recommendations/information

## Fractions:

- \_\_\_\_\_ Knows that  $\frac{1}{2}$  of something is a fractional part.
- \_\_\_\_\_ Understands that “half” means  $\frac{1}{2}$ .
- \_\_\_\_\_ Understands that  $\frac{1}{2}$  means precisely  $\frac{1}{2}$  (and not just a word for part of the whole).
- \_\_\_\_\_ Has worked with fractions in concrete form and understands that  $\frac{1}{8}$  is smaller than  $\frac{1}{4}$ , etc.
- \_\_\_\_\_ Has worked with fractions in concrete form and can explain and demonstrate why  $\frac{1}{16}$  is smaller than  $\frac{1}{8}$ , etc. (it takes more pieces to make the whole so each piece is smaller).
- \_\_\_\_\_ Can explain what the numerator and denominator represent.
- \_\_\_\_\_ Can use concrete fraction pieces to compare fractions and figure out which represents a smaller or larger fractional part ( $\frac{3}{8}$  vs.  $\frac{5}{16}$ , etc.).
- \_\_\_\_\_ Can make exchanges with concrete fractions in order to simplify and combine fractions ( $\frac{1}{8} + \frac{1}{4} = \frac{1}{8} + \frac{2}{8} = \frac{3}{8}$ ).
- \_\_\_\_\_ Can make exchanges with abstract fractions by multiplying by some form of 1 in order to simplify and combine fractions ( $\frac{1}{8} + \frac{1}{4} = \frac{1}{8} + \frac{2}{8} = \frac{3}{8}$ ).
- \_\_\_\_\_ Can explain why we are not changing the value of the fraction when we multiply by some form of 1 (identity principle) and that we are just breaking it into more pieces according to what we need).
- \_\_\_\_\_ Can demonstrate the concept of multiplying by a fraction by ripping up a piece of paper into fractional parts:  $1 \times \frac{1}{2} = \frac{1}{2}$    $\frac{1}{2} \times \frac{1}{2} = \frac{1}{4}$    $\frac{1}{4} \times \frac{1}{2} = \frac{1}{8}$  
- \_\_\_\_\_ Can demonstrate the concept of multiplying by a fraction by repeated addition ( $3 \times \frac{1}{4}$  cup equals  $\frac{3}{4}$  c)
- \_\_\_\_\_ Demonstrates awareness that multiplying by whole numbers increases a value, but multiplying by fractions (less than one) decreases a value.
- \_\_\_\_\_ Can explain this difference (if I have 2 people and give them each 3 cups of milk, I gave out 6 cups total, but if I have 2 people and give them each  $\frac{1}{2}$  cup of milk I gave out less than 2, or 1 cup total).
- \_\_\_\_\_ Can multiply abstract fractions and explain if answer is sensible ( $\frac{1}{4} \times \frac{1}{3} = \frac{1}{12}$ —that makes sense because I do expect the answer to be a part of a fraction and smaller than  $\frac{1}{4}$  or  $\frac{1}{3}$ )
- \_\_\_\_\_ Can demonstrate what it means to show equal forms of a fraction--mixed number versus improper fraction ( $1 \frac{1}{4} = \rightarrow$     $= \rightarrow \frac{5}{4}$ )
- \_\_\_\_\_ Can convert between abstract improper fractions and mixed numbers and explain that you are breaking up the wholes into equal fractional parts or grouping the fractional parts into equal wholes to express the same value in a different form.
- \_\_\_\_\_ Can demonstrate the concept of dividing by a fraction by using repeated subtraction (3 cups  $\div$   $\frac{1}{4}$  means you subtract out  $\frac{1}{4}$  c repeatedly  $\rightarrow$  you will end up with **12** portions of  $\frac{1}{4}$  cup each).
- \_\_\_\_\_ Can explain why dividing by a whole number increases a value but dividing by a fraction increases a value ( $6 \div 2$  means you have 6 cups and subtract out, or dole out, 2 cup servings until you are done which yields 3 servings;  $6 \div \frac{1}{2}$  means you have 6 cups and dole out  $\frac{1}{2}$  cup servings, so you'll get more out of your 6 and end up with 12 servings).
- \_\_\_\_\_ Can divide abstract fractions and explain if answer is sensible ( $\frac{1}{2} \div \frac{1}{4} = 2$ ; that makes sense because I can get 2 servings of  $\frac{1}{4}$  cup out of  $\frac{1}{2}$  cup.)

See SCoS **Number and Operations Strands**: Grade 2—1.02; Grade 3—1.05a, b, c, e; Grade 4—1.03; Grade 5—1.02; Grade 6—1.04b, d; Grade 7—1.02b

Supplemental Program Recommendations to be delivered in a systematic and explicit manner over period of time:  
**Marilyn Burns Fraction Kit**—Development of physical, conceptual and abstract understanding of fraction basics.  
**Lesson for Extending Fractions**—Development of early work with operations on fractions.  
**Teaching Arithmetic: Lessons in Multiplying and Dividing Fractions**—Operations developed through concrete understanding.  
See also SpEd Instruction Checklist for further recommendations/information

## Sped Math Instruction checklist

Elementary school

Indicate dates of instructional delivery and days per week.

- Instruction that followed the County Instructional Calendar
  - Duration of Implementation \_\_\_\_\_ Days per week \_\_\_\_\_
  - Notes:
  
- Remedial instruction that uses a C-R-A approach
  - Strategic Math Series—Units: \_\_\_\_\_
    - Duration of Implementation \_\_\_\_\_ Days per week \_\_\_\_\_
    - Notes:
  
  - Mathline
    - Duration of Implementation \_\_\_\_\_ Days per week \_\_\_\_\_
    - Notes:
  
  - Touch Math
    - Duration of Implementation \_\_\_\_\_ Days per week \_\_\_\_\_
    - Notes:
  
- Research-backed Remediation Program
  - Number Worlds: Level \_\_\_\_\_ Unit \_\_\_\_\_
    - Duration of Implementation \_\_\_\_\_ Days per week \_\_\_\_\_
    - Notes:

## Sped Math Instruction checklist

Middle school

Indicate dates of instructional delivery and days per week.

- Instruction that followed the County Instructional Calendar
  - Duration of Implementation \_\_\_\_\_ Days per week \_\_\_\_\_
  - Notes:
  
- Remedial instruction that uses a C-R-A approach
  - Wake County Remedial Warm-ups
    - Level 1 \_\_\_\_ Level 2 \_\_\_\_
    - Duration of Implementation \_\_\_\_\_ Days per week \_\_\_\_\_
    - Notes:
  - Strategic Math Series—Units: \_\_\_\_\_
    - Duration of Implementation \_\_\_\_\_ Days per week \_\_\_\_\_
    - Notes:
  
- Research-backed Remediation Program
  - Number Worlds: Level \_\_\_\_\_ Unit \_\_\_\_\_
    - Duration of Implementation \_\_\_\_\_ Days per week \_\_\_\_\_
    - Notes: